MA 110-91	Test #1		Name:
§1.1 - 2.4		score	1 March 2003

- 1. Use a properly labeled Venn diagram to determine the validity of the following argument. Explain. (9 points)
 - 1. All master photographers are artists.
 - 2. Ansel Adams is an artist.

Therefore, Ansel Adams is a master photographer.

2. Use truth tables to determine if the statements $p \rightarrow q$ and $p \lor q$ are logically equivalent. (9 points)

- 3. Determine which pairs of statements are equivalent: (9 points)
 - (a) I am a rebel if I do not have a cause.
 - (b) I am a rebel only if I do not have a cause.
 - (c) I am not a rebel if I have a cause.
 - (d) If I am not a rebel, I have a cause.

4. Write the following argument in symbolic form. Then use a truth table to determine if the argument is valid. (10 points)

If you give me that umbrella today, I will pay you tomorrow. If you are a sensitive person, you will give me that umbrella today. You are not a sensitive person. Therefore, you do not give me the umbrella today.

5. If $U = \{a, b, c, d, e, f, g, h, i, j, k, l, m\}$, $A = \{a, b, d, e, g, h\}$ and $B = \{b, c, e, f, h, i\}$, enumerate (write out) the set $A \cap B'$. (*9 points*)

6. Draw a Venn diagram that illustrates the set $A \cup (B \cap C)$. (9 points)

7. In a group of 287 students, 146 play tennis, 162 play racquetball, and 61 play neither? How many of the students play both tennis and racquetball?

Draw a properly labelled Venn diagram and explain your reasoning. (9 points)

8. In how many ways can 9 different people all be lined up in a row? If three of the 9 must be lined up consecutively, in how many ways can this be done? (9 points)

9. From a group of 6 men and 8 women, how many different 5-person committees can be formed consisting of 3 women and 2 men? Explain your counting argument. (9 points)

10. How many different identification sequences can be generated that consist of three letters (all caps) followed by three digits (0-9) if the letters must be distinct? Explain. (9 points)

11. How many different 5-card hands are there? Of these, how many have exactly 4 cards in one suit and the other card from a different suit? Explain your counting argument. (9 points)